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## ECONOMIC THEORIES OF SETTLEMENT BARGAINING

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■ **Abstract** We briefly review two basic models of settlement bargaining based on concepts from information economics and game theory. We then discuss how these models have been generalized to address issues that arise when there are more than two litigants with related cases. Linkages between cases can arise because of exogenous factors such as correlated culpability or damages, or they can be generated by discretionary choices on the part of the litigants themselves or by legal doctrine and rules of procedure.

### INTRODUCTION

This review provides a selective survey of recent work on the economics of settlement bargaining, emphasizing settings in which there are multiple (more than two) litigants. The research on multiple-litigant settlement bargaining has built on previous work on bilateral settlement bargaining and employs the tools used therein. Thus, we first provide a brief review of the salient concepts from information economics in the bilateral settlement bargaining context.

The essential feature of multilateral bargaining is the creation or presence of externalities that arise when bargaining between two litigants is influenced by the possibility, or necessity, of simultaneous or subsequent bargaining by a litigant with other parties. For example, a confidential settlement between an early plaintiff and a defendant is likely to affect the information and case viability of a later plaintiff suing the same defendant if the defendant's culpability is, to some extent, correlated across the cases. Thus, in the section below entitled Externalities Induced by Litigant Discretionary Choice, we consider recent papers that examine how discretionary choices by one or more litigants (to create or capitalize on possible linkages among yet other litigants) generate such externalities. The preferences of the litigants concerning the use of such devices need not directly conflict; that is, the litigants need not have preferences such that one litigant's payoff improves if the other's payoff is reduced (i.e., as in diametrically opposed). In the case of confidential settlement, early plaintiffs and a defendant (who is common to

the early and to later plaintiffs) may agree that employing the device is mutually advantageous (but this may or may not be true for later plaintiffs).

However, sometimes existing legal doctrine (for example, the doctrine of joint and several liability) or rules of procedure (such as collateral estoppel) may induce bargaining externalities. Of course, as stated above, the choice by one or another of the litigants to make use of the relevant legal doctrines or procedural rules may be voluntary, but in this case preferences of the individual litigants over the use of such doctrines and procedures are usually diametrically opposed; such rules exist to provide recourse when agreement is not possible. We discuss this possibility in the final section, entitled Externalities Induced by Doctrines or Procedural Rules.

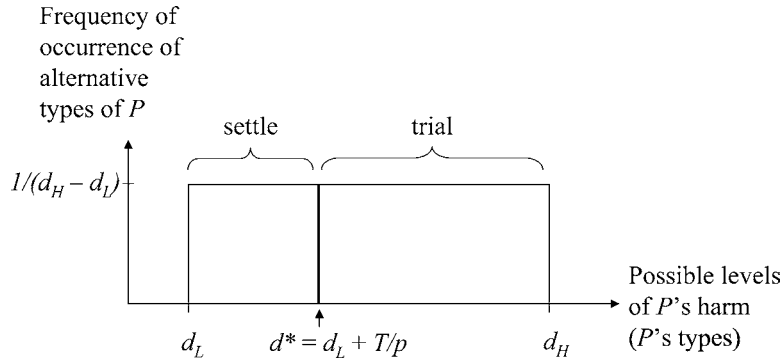
## BILATERAL SETTLEMENT BARGAINING

Hay & Spier (1998) and Daughety (2000) provide detailed reviews of settlement bargaining between two parties in which disagreement may lead to trial. This section provides a very brief review of the bilateral settlement bargaining literature, with special emphasis on the models used in the rest of the discussion. Early papers on this topic, such as those by Landes (1971), Gould (1973), Posner (1973), and Shavell (1982), considered settings in which both litigants knew all relevant information. In such cases, because trial is costly, both litigants are better off avoiding trial and agreeing to split the avoided costs. Thus, this literature provided models that predicted that no trials would occur when information was symmetric (that is, either everything was commonly known or all assessments of unknowns were shared). These papers also provided models in which bargaining might collapse, thereby resulting in a trial. In this approach, trials occur when there are irreconcilable conflicts between the litigants as to assessments over the likely outcome in court; these irreconcilable conflicts reflect differences the parties could not eliminate even if all information were commonly known. Analyses with irreconcilable assessments that drive the possibility of settlement failure are known as inconsistent priors analyses. Thus, the decision-theoretic models provide the possibility of inefficient settlement bargaining, but the cause of the inefficiency lies in intransigence on the part of the litigants.

Models of settlement bargaining that employ game theory and information economics have developed over the past 20 years. In these models, bargaining agents may possess different information (called private information); if the information were common knowledge to both bargainers, there would be no barrier to settlement, but the asymmetry in what each agent knows may result in bargaining failure. The presence of private (that is, asymmetric) information affects the strategic behavior of the bargainers; thus, such models rely on strategic response to informational differences, rather than on intransigence, to provide a range of outcomes, some of which involve inefficiency. More precisely, if *A* and *B* are bargaining and *A* possesses some information that is relevant to the transaction (and *B* does not have this information but knows that *A* does), then in choosing bargaining







**Figure 1** Equilibrium in a screening model.

The second term above is the expected cost of settlement to  $D$  because all types at and below  $\tilde{d}$  accept the offer  $p\tilde{d} - t_P$  (they do no better, and most do worse, at trial). The term  $F(\tilde{d})$  weights the offer by the fraction of types who will accept it. Once the marginal type  $\tilde{d}$  that minimizes this total expected cost is found (denoted as  $d^*$ , the solution to Equation 1), the optimal offer by  $D$  is  $s^* = pd^* - t_P$ . This is an equilibrium as long as the limits on the integral are not violated, so  $d^*$  must be less than  $d_H$  and greater than  $d_L$ .

Figure 1 illustrates the equilibrium in a screening model for the case where possible damage levels are uniformly distributed [that is, all values of  $d$  are equally likely, so  $f(d) = 1/(d_H - d_L)$ ]. By solving the problem in Equation 1 above, one can show that the equilibrium marginal type is  $d^* = d_L + T/p$  (as shown in the Figure), so the equilibrium offer is  $s^* = pd^* - t_P = pd_L + T - t_P = pd_L + t_D$ .<sup>5</sup> Thus, the likelihood of settlement is  $F(d^*) = (d^* - d_L)/(d_H - d_L) = (T/p)/(d_H - d_L) < 1$ , the likelihood of trial is  $(d_H - d_L - T/p)/(d_H - d_L) > 0$ , and the expected total trial cost is  $T(d_H - d_L - T/p)/(d_H - d_L)$ . This last item is the social cost associated with the presence of asymmetric information. Notice also that the distribution of types going to trial is just a truncated version of the original distribution of types,  $F$ . Thus, the model predicts that cases with low levels of damages will settle, whereas only those with sufficiently high levels of damages will proceed to trial.

This model provides a number of other implications; we list a few here. First, an increase in the range of expected stakes (that is, an increase in  $d_H - d_L$  or an increase in  $p$ ) or a decrease in either litigant's court costs leads to a reduction in the likelihood of settlement. Second, redistribution of court costs from one litigant to the other (that is, adjustments in  $t_P$  and  $t_D$ , holding  $T$  fixed) has no impact on the likelihood of settlement or on the magnitude of the social cost. Third, a cap on damages (if modeled as a reduction in  $d_H$ ) leads to a reduction in the

<sup>5</sup>The requirement that  $d^* < d_H$  means that, for screening to be an equilibrium, we require  $p(d_H - d_L) > T$ . That is, the range of the expected stakes should exceed the total court costs.

likelihood of trial and a reduction in the social costs associated with bargaining (of course, this does not account for the fact that  $P$ s with very high damages would be undercompensated).

In the Reinganum & Wilde (1986) model, the informed party moves first and the uninformed party then considers the demand and decides whether to accept or reject the offer (again, rejection leads to trial). This type of model is called a signaling model because the first mover signals information via their settlement offer. Returning to the example outlined earlier,  $P$  makes a demand, with higher demands reflecting a  $P$  with greater damages. Now  $D$  must be wary of high demands from  $P$ , as a low-damaged  $P$  would also like to make a high demand if  $D$  would naively infer that damages awarded at trial would be high. Thus,  $D$  rationally rejects higher demands more frequently (that is,  $D$  is willing to go to trial with a higher likelihood for demands that are higher). It is the equilibrium wariness of  $D$  that deters mimicry and results in the signal being informative (that is, the signal provides useful information about  $P$ 's type to  $D$  when  $D$  is trying to decide what is likely to happen at trial, and whether to reject the demand from  $P$ ).

While somewhat more technically demanding [see Reinganum & Wilde (1986) for details], the basics of the model are that  $P$  makes a demand and  $D$  uses the demand to update his assessment of which type of  $P$  he is likely to go to trial against, should bargaining break down. Thus, for any demand  $S$ ,  $D$  forms beliefs  $b(S)$  as to which type (or types) would have made such a demand.  $D$  then decides whether to accept or reject the demand employing these beliefs:  $D$  accepts the demand  $S$  if and only if  $S \leq pb(S) + t_D$ . Let  $D$ 's probability of rejecting demand  $S$  be denoted as  $r(S)$ . Because  $P$  must choose  $S$ , recognizing that she will go to trial against  $D$  if he rejects her demand,  $P$ 's problem is to choose  $S$  to maximize her return:

$$\max_S S(1 - r(S)) + (pd - t_P)r(S), \quad 2.$$

where the first term reflects settlement at  $S$ , which occurs with probability  $1 - r(S)$ , and the second term reflects  $P$ 's return if she goes to trial. Under mild conditions there is a revealing equilibrium in which a  $P$  of type  $d$  makes the equilibrium demand  $S^*(d) = pd + t_D$  and  $D$ 's beliefs are correct. Furthermore,  $D$ 's equilibrium rejection function,  $r^*(S)$ , is zero at the lowest type's revealing demand,  $S_L \equiv S^*(d_L) = pd_L + t_D$ ; is increasing and concave in  $S$ ; and reaches a maximum value, which is less than 1, at the highest type's revealing demand,  $S_H \equiv S^*(d_H) = pd_H + t_D$ . This rejection function is displayed in Figure 2, illustrating the earlier example involving a continuum of uniformly distributed types of possible damage levels for  $P$ .

In contrast with the screening model, notice that one implication of the signaling model is that (except for  $d = d_L$ ), all types have a positive chance of going to trial, with that chance increasing with the level of damages (because the settlement demand is increasing in the true level of damages). Moreover, the distribution of types who go to trial is different from the distribution of types who have been harmed: In the example, the initial distribution of types was a uniform distribution,











the Minnesota settlement (yielding MFN payments of \$550 million, \$1.8 billion, and \$2.3 billion, respectively). The remaining 46 states shortly thereafter signed the Master Settlement Agreement (MSA), which also contained an MFN clause, now to make sure that all the states would join the one agreement (the MSA did not trigger the earlier MFN clauses for the first four states). This suggests two possible motivations that we explore briefly below. One is that early (noncommon) litigants (e.g., the individual states) may propose MFN clauses as a means of obtaining later payments; for reasons made clear below, we refer to this as a leverage motive. The other motive is that the common litigant may propose an MFN clause to reduce delay and to improve commitment power on its behalf; we refer to this as the delay-reduction motive, and we discuss it first.

Spier (2003a,b) considers the following multiple-litigant bargaining scenario. Consider a defendant,  $D$ , facing a large number of plaintiffs who have individually suffered harms of different magnitudes due to the use of  $D$ 's product. Thus, the rectangular density shown in Figure 1 might represent the different harms of a large number of plaintiffs (rather than representing alternative levels of harm for a single plaintiff). Here, the harm each plaintiff has suffered is her own private information and  $D$  is uninformed with respect to this information (although  $D$  knows the distribution of plaintiffs' harms).  $D$  is contemplating settling with some of these plaintiffs and going to trial against the remainder, so the problem is one of screening. Moreover, bargaining in this model may occur over time, and delay in reaching an agreement is costly to all; for convenience, assume that there are now two possible rounds of bargaining. Consider the following strategy for  $D$ :  $D$  makes an offer to settle, perhaps making the offer  $s^*$  shown in Figure 1. In the screening analysis discussed in the section on Bilateral Settlement Bargaining, such an offer is a one-time, take-it-or-leave-it offer. However, if some plaintiffs settle at  $s^*$  and others do not, then  $D$ 's second offer will be higher than  $s^*$ , so as to further screen those plaintiffs who might go to trial under  $s^*$  (in Figure 1, those to the right of  $d^*$ ). Of course, if the first group of plaintiffs recognizes that  $D$  will subsequently raise the offer, then they will not agree to  $s^*$ , but will instead wait for the improved offer. This results in delay, which is costly. Without the commitment power implicit in the one-time-only structure of the original Bebchuk-style screening analysis,  $D$  faces the possibility of having to make an increasing sequence of offers, which clearly would be inferior to the one-time-only offer that minimized overall cost, namely  $s^*$ .

Spier (2003a) shows that an MFN clause eliminates the incentive for  $D$  to make the higher second offer. To see why, note that an offer of  $s^*$  with an MFN clause means that any plaintiff who accepts  $s^*$  now will also obtain any increase associated with any later, better offer accepted by other plaintiffs, so no plaintiff has an incentive to wait. If  $D$  subsequently made a higher offer, he would have to make MFN payments to all those who previously settled; thus, he does not make a higher second offer. An MFN allows  $D$  to commit to his cost-minimizing offer  $s^*$ , thereby eliminating delay in reaching an agreement (hence, the delay-reduction motive); the MFN provides  $D$  with a degree of monopoly power, as he

no longer competes for settling plaintiffs with his future (second-round) self. Spier also compares the likelihood of settlement, the welfare of plaintiffs, and the total costs of litigation between a setting in which an MFN is allowed and one in which it is not. In keeping with the notation in the earlier section on bilateral bargaining, let the probability density describing the expected damages be denoted as  $f(\cdot)$ ; Figure 1 shows an  $f$  that is constant. Spier (2003a) shows that the likelihood of settlement and plaintiff welfare improves (respectively: declines; stays constant) if  $f$  is increasing (respectively: decreasing; constant) in value at the point of the first-period marginal type when an MFN clause is precluded.<sup>11</sup> Thus, Figure 1 illustrates a type of watershed example, as  $f$  is constant everywhere. Distributions with rising densities imply that an MFN improves the settlement rate and is preferred by plaintiffs, whereas those distributions with declining densities yield the reverse results.

Daughety & Reinganum (2004) analyze the second motivation for using an MFN, which we refer to as a leverage motivation, when there is asymmetric information.<sup>12</sup> Consider a version of Spier's setup (a defendant who is uninformed about the damages individual plaintiffs have suffered), but now limit the number of plaintiffs to two, and assume there is an early plaintiff ( $P_1$ ) and a later plaintiff ( $P_2$ ). Furthermore, assume that the bargaining between each plaintiff and the common defendant is modeled as a signaling game (see Bilateral Settlement Bargaining). In period one, the informed  $P_1$  makes a settlement demand of  $D$ , and there is either agreement or trial, followed by period two, in which the informed  $P_2$  makes a demand of  $D$ , which again may result in agreement or trial. Without an MFN, the sequential pair of signaling games behaves just like a sequence of signaling games as illustrated in Figure 2 above.

Assume that  $P_1$  and  $D$  conclude an agreement that contains an MFN and that the settlement amount was  $S_1$ . This agreement now affects what  $P_2$  can hope to obtain in her settlement negotiations with  $D$ .  $P_2$ , who might have suffered a greater harm than  $P_1$ , knows that if  $D$  were to pay  $P_2$  her full damages plus  $D$ 's court costs (i.e., the amount that would be demanded in the no-MFN case), then this would generate an MFN payment to  $P_1$ , and  $D$  might be better off simply going to trial because a judgment at trial does not trigger an MFN payment (whereas a higher settlement does). Thus,  $D$ 's rejection function is now progressively higher for all demands by  $P_2$  above  $S_1$ . Hence, for demands she might make above  $S_1$ ,  $P_2$  moderates her demand to account for the higher likelihood of rejection that the MFN has now created. When  $P_2$  does make a (moderated) demand above  $S_1$ , sometimes it is accepted by  $D$  and an MFN payment is made to  $P_1$  as well, and

<sup>11</sup>More limited results hold for total litigation and trial costs: These are decreasing when the settlement rate is increasing or constant, but may move in either direction if the settlement rate is decreasing.

<sup>12</sup>Spier (2003b) explores the leverage motivation in an example with symmetric information. In such a setting the probability of trial is either one or zero, so the use of an MFN is predicted to raise total trial costs.







Consider settlement negotiations in the second suit, conditional on the first suit's outcome. Using the analysis from the section on Bilateral Settlement Bargaining, we know that the marginal type in the second suit will be defined by  $d_2^* = d_L + T/p_2$ , and the associated likelihood of settlement will be  $F(d_2^*) = T/p_2(d_H - d_L)$ . From this, we see that the likelihood that the second suit will settle is highest when  $P_1$  lost her suit and lowest when  $P_1$  won her suit. Notice that if  $P_1$  settled her suit, then  $P_2$  faces the same probability of prevailing as if there were no  $P_1$ ; that is,  $P_1$ 's suit has no precedential effect. In addition,  $D$ 's expected costs in the second suit are highest when  $P_1$  won her suit and lowest when  $P_1$  lost her suit.

Let  $C_H > C_S > C_L$  denote  $D$ 's expected cost in the second suit when  $P_1$  won, settled, or lost, respectively, the first suit. In considering what offer to make to  $P_1$ ,  $D$  recognizes the impact that  $P_1$ 's decision regarding settlement will have on  $D$ 's continuation payoff in his suit with  $P_2$ . Because  $P_1$  is a nonrepeat litigant, a  $P_1$  with damages of  $d_1$  will accept any settlement offer  $s \geq p_1 d_1 - t_p$ . However,  $D$  now anticipates future costs of  $C_S$  if  $P_1$  accepts his offer and future costs of  $p_1 C_H + (1 - p_1)C_L$  if  $P_1$  rejects his offer and trial occurs. These future costs are added to the usual costs associated with settlement and trial, respectively. Modifying the objective function given in the section on Bilateral Settlement Bargaining to reflect these continuation costs implies that the probability that the first case settles is given by  $F(d_1^*) = (T + p_1 C_H + (1 - p_1)C_L - C_S)/p_1(d_H - d_L)$ .

To determine the effect of the second suit on settlement behavior in the first suit, we compare the equilibrium probabilities of settlement in the first suit with and without the second suit. Recall that (using the section on Bilateral Settlement Bargaining) the probability of settlement in the first suit when there is no  $P_2$  is given by  $F(d^*) = T/p_1(d_H - d_L)$ . It follows that  $F(d_1^*) \geq F(d^*)$  if and only if  $p_1 C_H + (1 - p_1)C_L \geq C_S$ . Given the ordering of  $D$ 's expected costs in the second suit, the left-hand side is an increasing function of  $p_1$ , which starts out below  $C_S$  and ends up above  $C_S$ . Thus, there is a unique value  $p^* \in (0, 1)$  such that the presence of  $P_2$  results in a greater likelihood of settlement when  $p_1 > p^*$  (because  $D$  would then like to reduce his exposure to trial where he faces a relatively high risk of establishing an unfavorable precedent) and a lower likelihood of settlement when  $p_1 < p^*$  (because  $D$  is then more willing to risk trial, where he faces a relatively high chance of establishing a favorable precedent).<sup>14</sup>

### Class Action Lawsuits

Rule 23 of the Federal Rules of Civil Procedure authorizes the formation of a class action lawsuit. In a class action lawsuit, a small number of named (representative)

<sup>14</sup>Choi (1998) provides a model in which two imitators consider entering the market of an incumbent patent holder. A finding of patent validity (or invalidity) in an infringement suit against the first entrant is presumed to apply equally to the second entrant. He finds that the patent holder may accommodate (rather than sue) the first entrant to avoid a finding of patent invalidity. Accommodation plays the same role as settlement, as it avoids the setting of any precedent.







When damages are private information even within the class, then every  $P$  will be tempted to claim to be of type  $H$ . The class can resolve this issue by using a mechanism that specifies whether to accept a settlement offer  $s$ , and how to divide it among the members of the class, based on their reported types (for details, see Che 2002). In brief, this entails the  $L$ -types receiving information rents to induce them to forebear claiming to be of type  $H$  and to truthfully reveal that they are of type  $L$ ;  $H$ -types do not have an incentive to claim to be  $L$ -types, so they receive no information rents. Only settlement offers that are high enough to cover both the aggregate expected payoff from trial plus the required information rents will be accepted. Thus, the class will be a tougher bargainer (i.e., will require a higher settlement offer) when it faces this internal allocation problem under asymmetric information. When the choice regarding participation is considered, it remains an equilibrium for all  $P$ s to join the class.

### Joint and Several Liability

Joint and several liability (JSL) may apply when multiple tortfeasors act concurrently or in concert to cause a plaintiff's injury. For example, two firms that dump hazardous waste into a single waterway may harm the health of people living downstream. Under JSL, a plaintiff suing both defendants may collect the full amount of the damages if she prevails against either or both of the defendants at trial. In contrast, under nonjoint liability (NJL), a plaintiff can collect from each defendant only that portion of the harm that is attributable to that defendant. Thus, JSL introduces externalities between the defendants that would not exist under NJL; these externalities manifest themselves both at trial and in settlement negotiations.

The classic analysis of the impact of JSL on incentives to settle was provided by Kornhauser & Revesz (1994a). They consider a model in which a single plaintiff sues two defendants under complete, but imperfect, information about whether the defendants will be found liable. The assumption of complete information immediately suggests that there should be no trials in equilibrium, but this turns out to be false. Rather, they show that both cases will go to trial when the correlation between the defendants' likelihoods of being found liable is sufficiently low, but will settle when the correlation is high.

Assume that there are two defendants, each of whom has contributed equally to the plaintiff's harm; let the plaintiff's total harm be denoted  $2d$ . Each defendant suffers a trial cost of  $t$ , while the plaintiff suffers a trial cost of  $t$  per defendant; thus, there are no scale economies for the plaintiff in going to trial against both defendants. Finally, assume that each defendant is capable of paying the full damages  $2d$ .<sup>15</sup> Let  $p$  denote the probability that the plaintiff prevails when she goes to

<sup>15</sup>Their general model allows unequal contributions by the defendants to the plaintiff's harm, scale economies in the plaintiff's trial costs, different setoff rules, and a different selection rule when multiple equilibria exist. In Kornhauser & Revesz (1994b) they consider partially insolvent defendants and find that (for the case of equal contribution) this increases the parameter range over which settlement occurs.

trial against a single defendant, and let  $\delta p$  denote the probability that the plaintiff prevails against the second defendant, having prevailed against the first, when she goes to trial against both defendants. The parameter  $\delta$  varies between  $\delta = 1$  and  $\delta = 1/p$ . When  $\delta = 1$  the probability of prevailing against both defendants is  $p^2$  (that is, the case outcomes are uncorrelated), whereas when  $\delta = 1/p$  the probability of prevailing against both defendants is  $p$  (that is, the case outcomes are perfectly correlated). In general, when the plaintiff goes to trial against both defendants, she has a probability  $\delta p^2$  of prevailing against both defendants, and a probability  $2p(1 - \delta p)$  of prevailing against one defendant; in either case, she collects the full amount  $2d$ .

The timing of the game is as follows: The plaintiff makes a settlement demand of the pair of defendants, denoted  $(s_1, s_2)$ . Simultaneously and noncooperatively, each defendant decides whether to accept or reject the settlement demand made of him. Finally, any defendant who rejects his demand is taken to trial by the plaintiff. We assume the unconditional pro tanto setoff rule, which specifies that if one defendant settles, then the amount of the settlement is deducted from what the plaintiff can hope to obtain from trial against the remaining defendant. We first characterize the Nash equilibrium strategies in the subgame following receipt of the settlement demands, and then determine the plaintiff's optimal demands. In the sequel, we denote the plaintiff by  $P$  and the defendants by  $D_1$  and  $D_2$ .

Given a pair of demands  $(s_1, s_2)$ , it is a Nash equilibrium for both  $D_1$  and  $D_2$  to accept their respective demands if and only if  $s_i \leq p(2d - s_j) + t$ , for  $i = 1, 2$ . This is because, given that  $D_j$  is expected to accept  $s_j$ ,  $D_i$  can expect to pay the total harm less the amount of the settlement with  $D_j$ , should  $D_i$  be found liable at trial (which occurs with probability  $p$ ); in addition,  $D_i$  will pay trial costs of  $t$ . Thus,  $D_i$  will prefer to accept any settlement demand  $s_i \leq p(2d - s_j) + t$ .

Given a pair of demands  $(s_1, s_2)$ , it is a Nash equilibrium for  $D_i$  to accept  $s_i$  and  $D_j$  to reject  $s_j$  if and only if  $s_i \leq .5\delta p^2(2d) + p(1 - \delta p)(2d) + t$  and  $s_j \geq p(2d - s_i) + t$ . This is because, given that  $D_j$  is expected to reject  $s_j$  and go to trial,  $D_i$  can choose to go to trial as well, in which case  $D_i$  can expect to pay his share (half) of the total damages if both defendants are found liable (which occurs with probability  $\delta p^2$ ), and  $D_i$  can expect to pay all the total damages if he is found liable while his codefendant is found not liable [which happens with probability  $p(1 - \delta p)$ ]. In addition,  $D_i$  will pay trial costs of  $t$ . If  $s_i$  is less than this amount, then  $D_i$  prefers to settle. On the other hand, if  $D_i$  is expected to settle for  $s_i$ , then  $D_j$  can expect to pay the full amount of the damages offset by the amount of the settlement with  $D_i$  if  $D_j$  is found liable, which occurs with probability  $p$ ; in addition,  $D_j$  will pay trial costs of  $t$ . If  $s_j$  exceeds this amount, then  $D_j$  will indeed prefer trial.

Finally, given a pair of demands  $(s_1, s_2)$ , it is a Nash equilibrium for both  $D_1$  and  $D_2$  to reject their respective demands if and only if  $s_i \geq .5\delta p^2(2d) + p(1 - \delta p)(2d) + t$ , for  $i = 1, 2$ . In this case, each defendant prefers to go to trial (given that the other defendant is expected to go to trial as well) rather than to acquiesce to the plaintiff's demand.

We now consider  $P$ 's optimal settlement demand pair  $(s_1, s_2)$ . We assume that whenever it is a Nash equilibrium for both  $D_1$  and  $D_2$  to accept their respective

demands, they do so.<sup>16</sup> This simplifies the exposition and ensures that any trials that occur are not the result of coordination failure. Moreover, it can be shown that, from  $P$ 's point of view, a pair of settlement demands that induces acceptance by only one  $D$  is always dominated by either a demand pair that induces both  $D$ s to accept or by a demand pair that induces both  $D$ s to reject. Thus, we need only ask (a) what settlement demand pair maximizes  $P$ 's expected payoff from settlement with both  $D$ s, and (b) when is the resulting expected payoff better than what she expects from trial against both  $D$ s?

To answer the first question, we define  $P$ 's maximized return from inducing both  $D$ s to accept their respective settlement demands as  $V^P(A, A) = \max s_1 + s_2$  subject to:  $s_i \leq p(2d - s_j) + t$ , for  $i = 1, 2$ .  $P$ 's most-preferred settlement pair consists of  $(s_1, s_2) = (s^*, s^*)$ , where the two constraints intersect. This settlement demand is  $s^* = (2pd + t)/(1 + p)$ , which yields the payoff  $V^P(A, A) = 2(2pd + t)/(1 + p)$ . Alternatively, if  $P$  induces both  $D$ s to choose trial, she can expect to receive  $V^P(R, R) = \delta p^2(2d) + 2p(1 - \delta p)(2d) - 2t$ . This payoff reflects the fact that  $P$  collects the full damages  $2d$  if she prevails against either  $D$ , or both; however, she pays the trial costs  $2t$ .

To answer the second question, we compare the payoffs  $V^P(A, A)$  and  $V^P(R, R)$ . It is straightforward to show that  $V^P(A, A) \geq V^P(R, R)$  as  $\delta \geq \delta^* \equiv (2p^2d - t(2 + p))/p^2(1 + p)$ . Notice that  $\delta^* < 1/p$  always holds, but  $\delta^* > 1$  if and only if  $t < p^2d(1 - p)/(2 + p)$ . Thus, we conclude that if  $t \geq p^2d(1 - p)/(2 + p)$ , then all cases will settle under JSL. However, if  $t < p^2d(1 - p)/(2 + p)$ , then cases whose outcomes are sufficiently highly correlated will settle, but  $P$  will go to trial against both  $D$ s if the case outcomes are sufficiently uncorrelated.

Two related strands of literature have been developed, but they are outside the purview of this survey. Klerman (1996) and Feess & Muehlheusser (2000) discuss how alternative setoff rules affect settlement incentives. Spier (1994) and Kahan (1996) discuss the effect of settlement under JSL on care taken in the primary activity.

## Insolvency

Spier (2002) describes another settlement negotiation scenario that involves externalities and has a formal structure quite similar to the one just described. This situation arises when a single defendant has harmed two plaintiffs but does not have enough wealth to compensate both plaintiffs; indeed, we consider the case in which the defendant does not have enough wealth to fully compensate even one plaintiff because the commonalities with the Kornhauser & Revesz model are most

<sup>16</sup>For some parameters, there may be two symmetric equilibria (e.g., one in which both defendants accept and one in which both reject), or two asymmetric equilibria (in which one defendant accepts and the other rejects). Kornhauser & Revesz discuss this issue in detail; in a related paper to be discussed below, Spier (2002) uses risk dominance to select among equilibria.



$2p(1 - \delta p)w + 2t$ . This payoff reflects the fact that  $D$  forfeits his entire wealth  $w$  if either  $P$  prevails, or both; in addition, he pays the trial costs  $2t$ .

We now compare the payoffs  $V^D(A, A)$  and  $V^D(R, R)$ . It is straightforward to show that  $V^D(A, A) \geq V^D(R, R)$  as  $\delta \geq \delta^{**} \equiv (2p^2w + 2t(2 + p))/p^2w(1 + p)$ . Notice that  $\delta^{**} > 1$  always holds, but  $\delta^{**} < 1/p$  holds if and only if  $t < pw(1 - p)/2(2 + p)$ . Thus, we conclude that if  $t \geq pw(1 - p)/2(2 + p)$ , then all cases will settle when  $D$  is insolvent. However, if  $t < pw(1 - p)/2(2 + p)$ , then cases whose outcomes are sufficiently highly correlated will go to trial, but  $D$  will settle with both  $P$ s if the case outcomes are sufficiently uncorrelated.

Note the similarities to (and differences from) the Kornhauser & Revesz (1994a,b) model: Here, the acceptance versus rejection constraints involve (a) a reversed inequality; (b) the substitution of  $w$  for  $2d$ ; and (c) the subtraction, rather than the addition, of  $t$ . The defendant's payoff differs from that of the plaintiff in Kornhauser & Revesz by the substitution of  $w$  for  $2d$  and by the addition, rather than the subtraction, of the trial costs  $2t$ ; moreover, the defendant wants to minimize his expected costs, whereas the plaintiff in Kornhauser & Revesz wants to maximize her expected payoff. Finally, settlement negotiations fail when the case outcomes are sufficiently correlated, whereas in Kornhauser & Revesz they fail when the case outcomes are sufficiently uncorrelated.

## SUMMARY

Recent work on the economics of settlement bargaining has emphasized multiple-litigant settlement negotiation. The essential feature of such bargaining is that seemingly bilateral negotiations affect, and are affected by, simultaneous or sequential settlement possibilities with other litigants. We subdivided this sampling of the literature into two groupings. In the first grouping, we considered papers in which discretionary choices by one or more of the litigants (to create, or capitalize on, possible linkages among yet other litigants) generate such externalities. In that section, the preferences of the litigants over the use of such devices need not be directly opposed.

The second grouping emphasized examples in which employing existing legal doctrine or rules of procedure may induce bargaining externalities. We noted that the choice by one or another of the litigants to use the relevant legal doctrines or procedural rules may be voluntary, but in this second grouping preferences of the individual litigants over using such doctrines and procedures are usually diametrically opposed; such rules exist to provide recourse when agreement is not possible.

In both types of analysis, formal models relying on game theory and information economics have been used to understand which attributes of such multiple-litigant bargaining are privately and/or socially advantageous (or disadvantageous), and when such devices, doctrines, or rules lead to a greater or lesser likelihood of settlement.





